

# **Assimilating satellite microwave radiance measurements over the Antarctic**

**Craig Schwartz and Zhiquan Liu**

**NCAR Earth Systems Laboratory**

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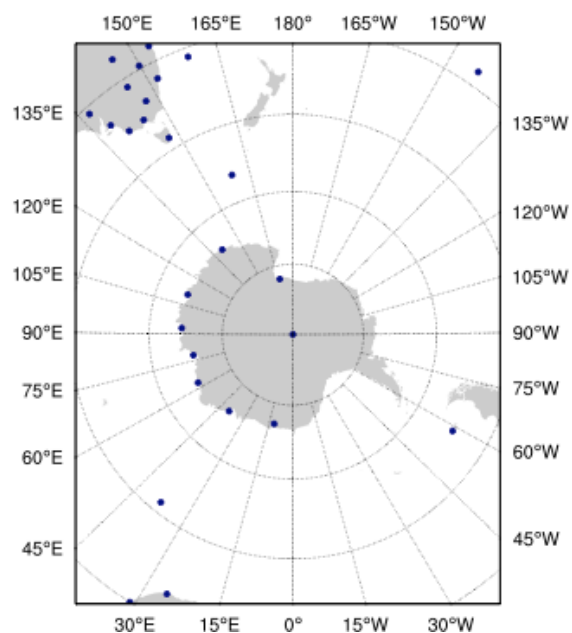
# Why Antarctica?

**We were inspired by “Happy Feet”**

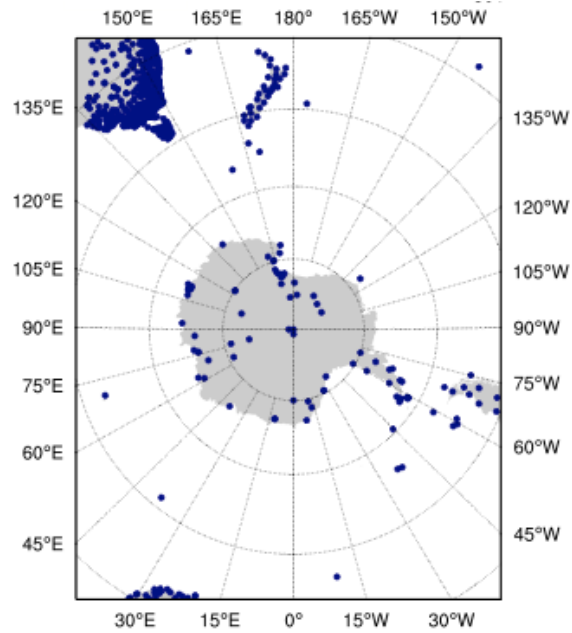


# Why Antarctica?

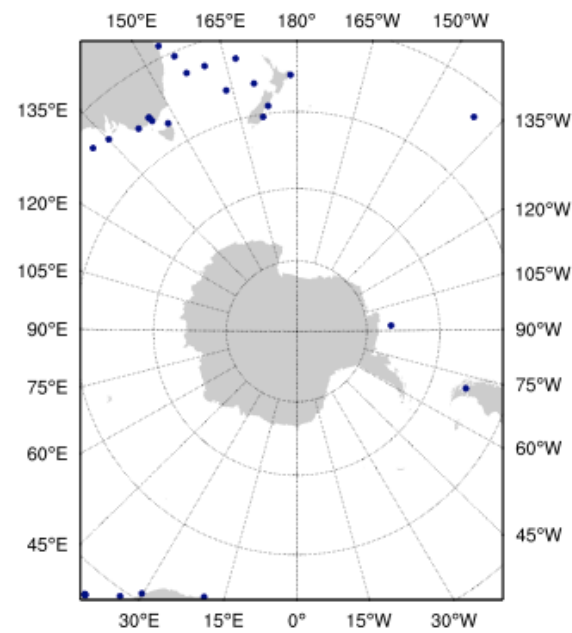
- Interesting data assimilation problem since there are few *in situ* observations, especially over the sea



Soundings



Synop



Ships

*Available observations at 0000 UTC 02 Oct 2007*

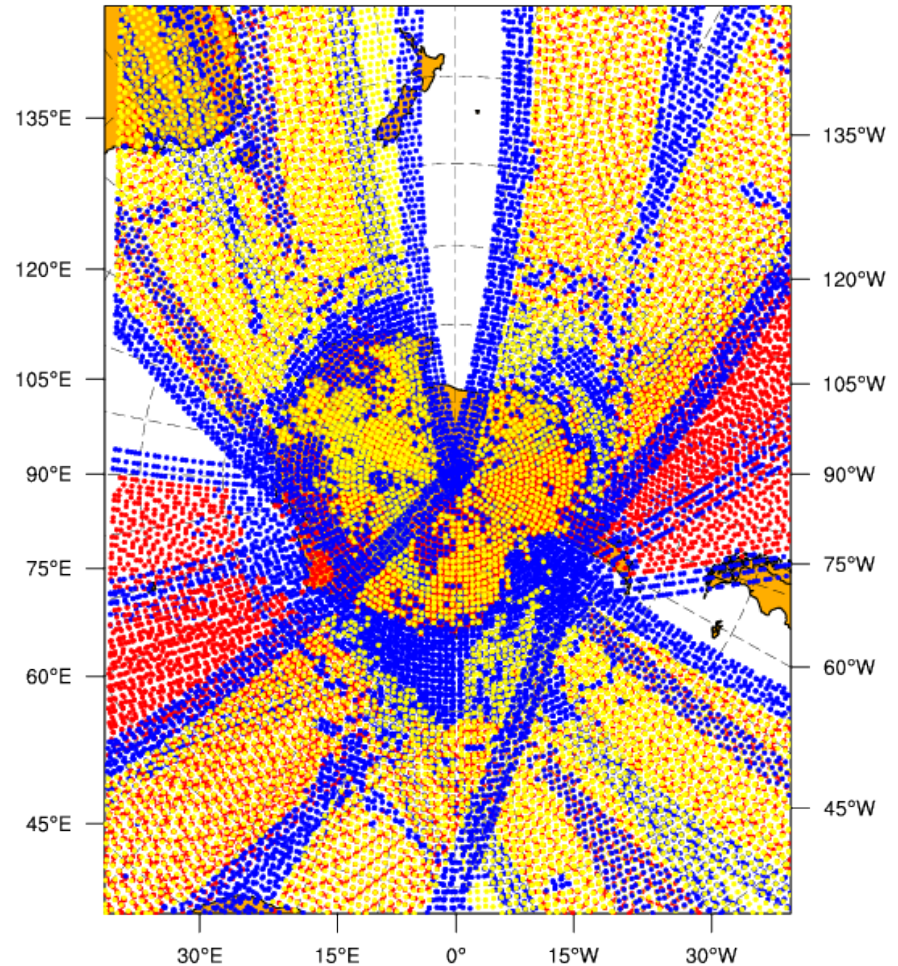
- Remotely-sensed observations are important for successful data assimilation

# Microwave Radiances

- Does assimilating microwave radiances lead to better forecasts over the Antarctic?

AMSU: Advanced Microwave Sounding Unit

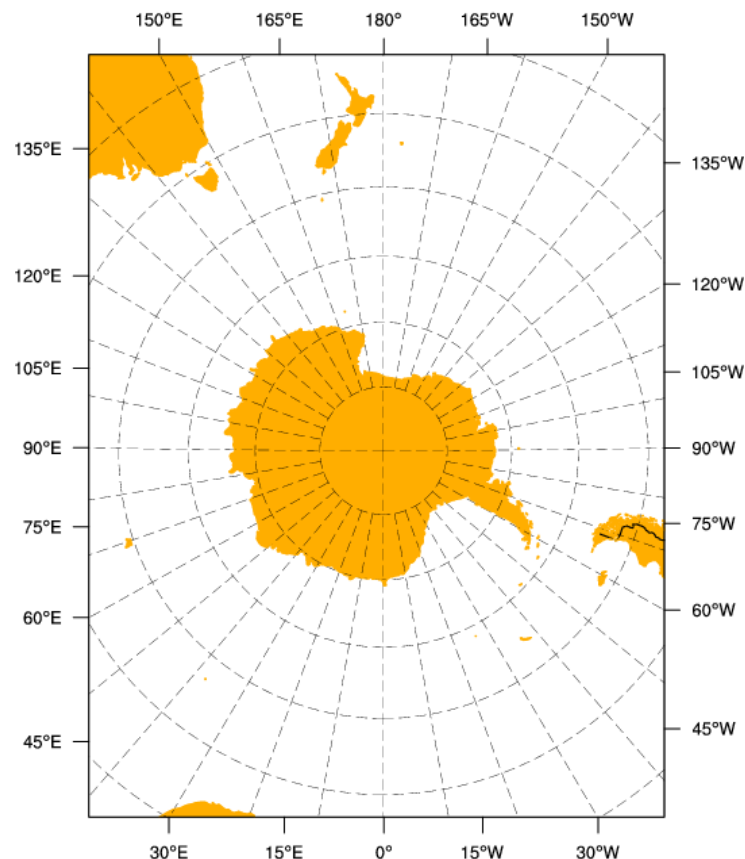
MHS: Microwave Humidity Sensor



*Available AMSU-A, AMSU-B, and MHS radiance observations at 0000 UTC 02 Oct 2007*

# Configuration Parameters

- WRFDA 3DVAR analyses at 00 and 12 UTC over October 2007
- Analyses initialized 72-hr WRF-ARW forecasts
- 6-hr WRF forecasts (initialized by the GFS) used as backgrounds
  - No “cycling” of background fields
- Lateral boundary conditions from the GFS
- 45-km horizontal grid spacing
- 44 vertical levels; 10 hPa model top



# Experimental Design

- Three experiments

- 1) Assimilated conventional observations only
- 2) Assimilated conventional observations and AMSU-A, AMSU-B, and MHS radiances using initial *bias correction coefficients* that were “spun-up” for 3 months (July-September) before the assimilation
- 3) Same as #2, but with “cold-start” bias correction coefficients



*What are these bias  
correction coefficients?*





# Radiance Bias Correction (BC)

- Satellite measurements are prone to error
- Biases of satellite observations are measured with respect to the data assimilation system itself
- Biases arise for several reasons:
  - Satellite instrument errors
  - Scanning position/angles
  - Atmospheric thermodynamic profile
  - The model background field

# Predictor-based BC

- Specify a set of predictors to perform BC
  - Values of the predictors are known
  - Either based on the model state (e.g., thickness between two pressure levels) or properties of the observing system (e.g., scanning angle)
- Each predictor has a corresponding coefficient ( $\beta_i$ ) that determines its weight
  - We do NOT necessarily know the weights
- Want to find the *optimal* weights (coefficients)

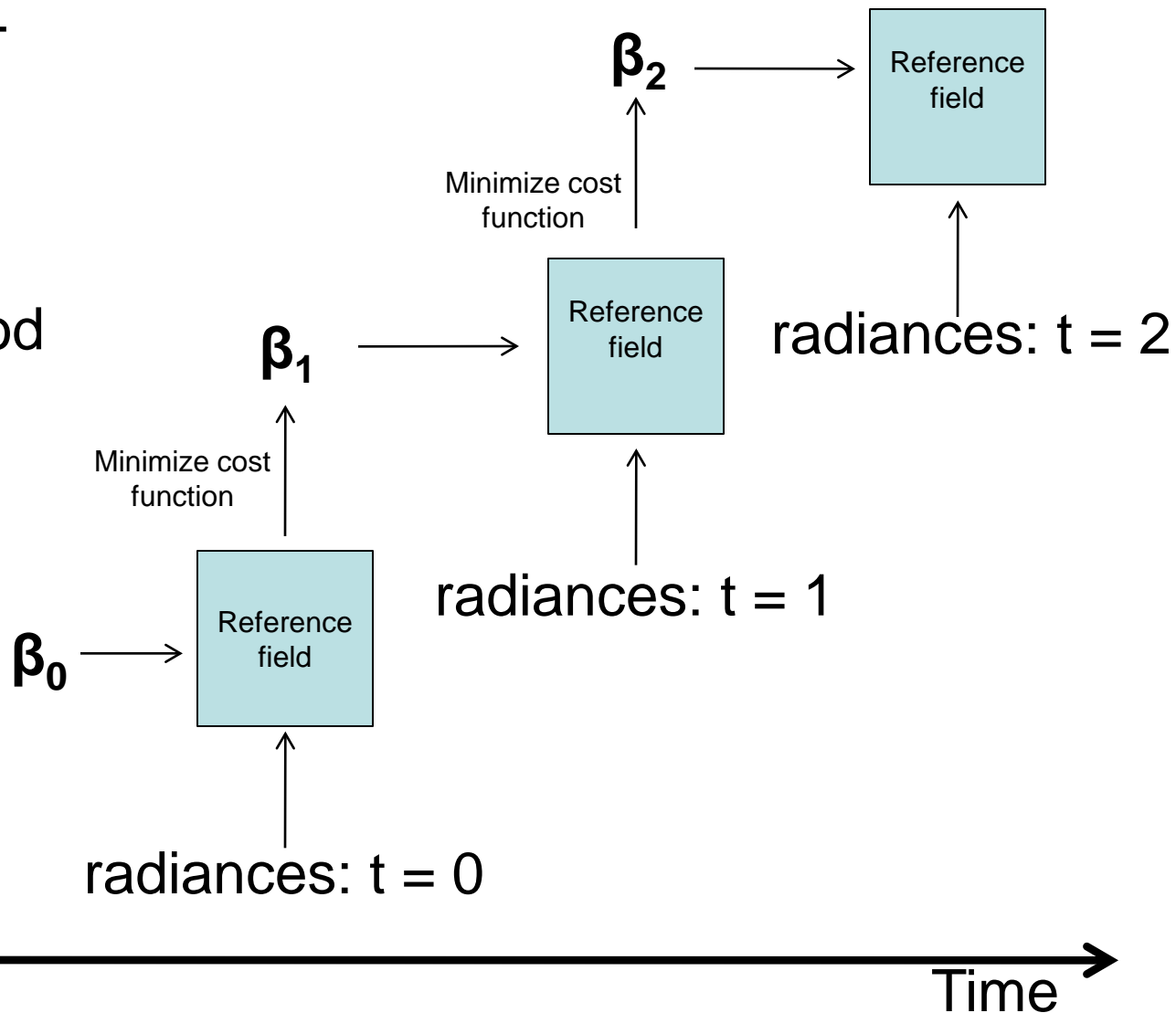


# How to Find Optimal BC Coefficients?

- Could do it during the analysis within the 3DVAR framework, fully considering all observations, the background field, and previous BC coefficients: “variational bias correction”
- Do it *independently* of the full analysis, just considering the radiance observations: “offline monitoring”
  - 1) Assimilated conventional observations only
  - 2) Assimilated conventional observations and AMSU-A, AMSU-B, and MHS radiances using **initial** *bias correction coefficients* that were “spun-up” for 3 months (July-September) before the assimilation
  - 3) Same as #2, but with “cold-start” bias correction coefficients

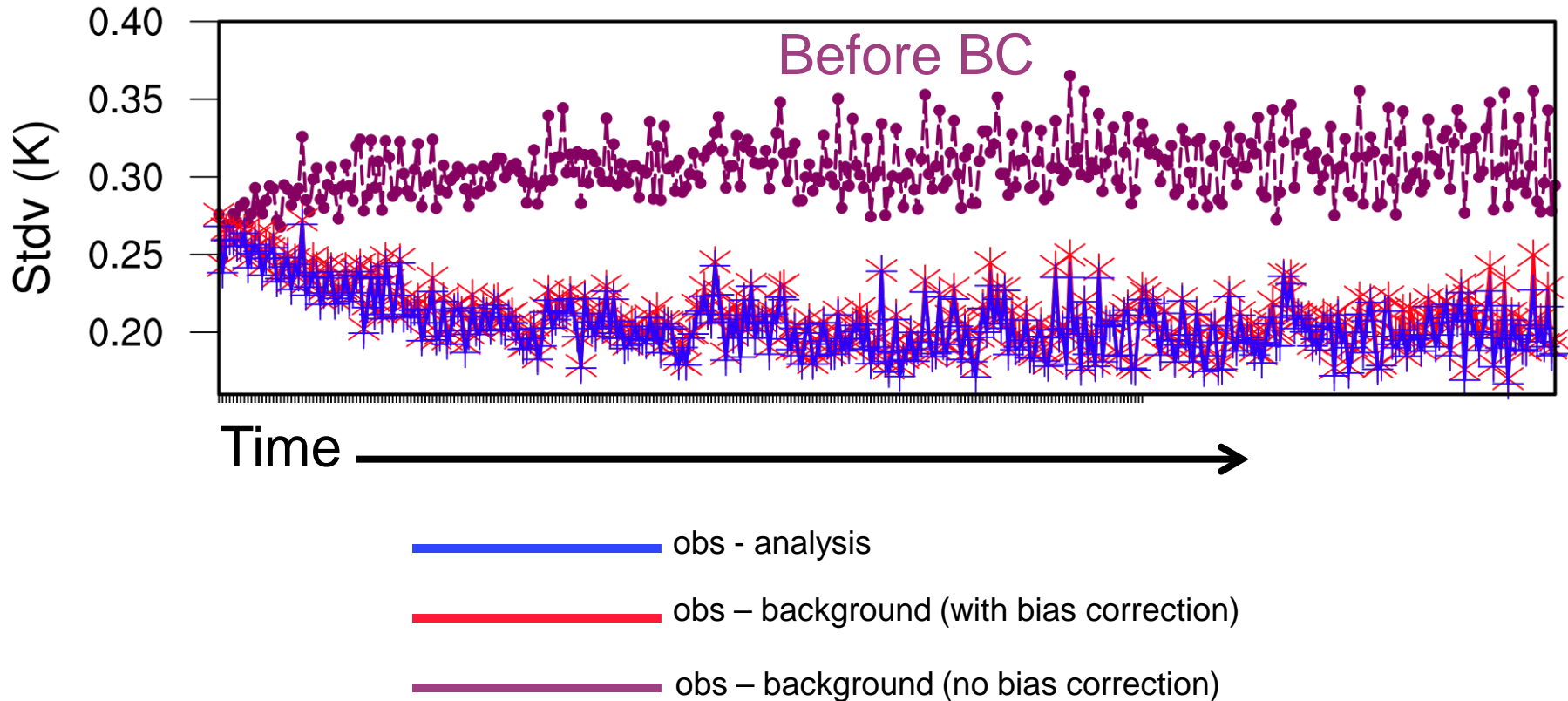
# Offline Monitoring Procedure

- Only “cycle” the coefficients ( $\beta$ ), NOT the background field
- Assumption: The reference field is good
- Minimize cost function with  $\beta$  as sole dependent variable



# Offline Monitoring Statistics

noaa-18-amsua\_ch0006 2007070100 -- 2007100106



# Diagnostic Approach

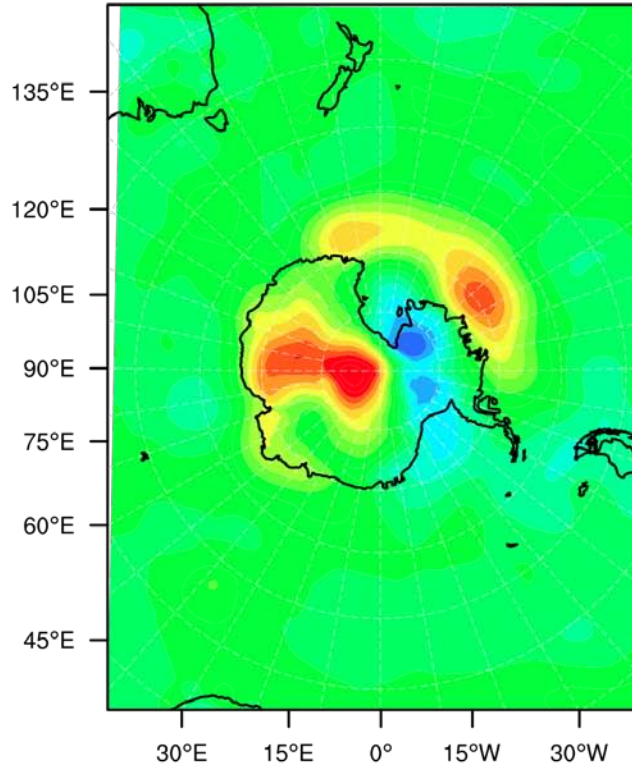
- Often difficult to discern visual differences between experiments
- Few observations available for verification, especially over water
- Used ERA-Interim reanalyses as “truth” and basis for verification
- Focused on statistics aggregated over all analyses/forecasts
- Root mean square error (RMSE)

$$RMSE = \sqrt{\frac{1}{N} \sum_{i=1}^N (f_i - o_i)^2}$$

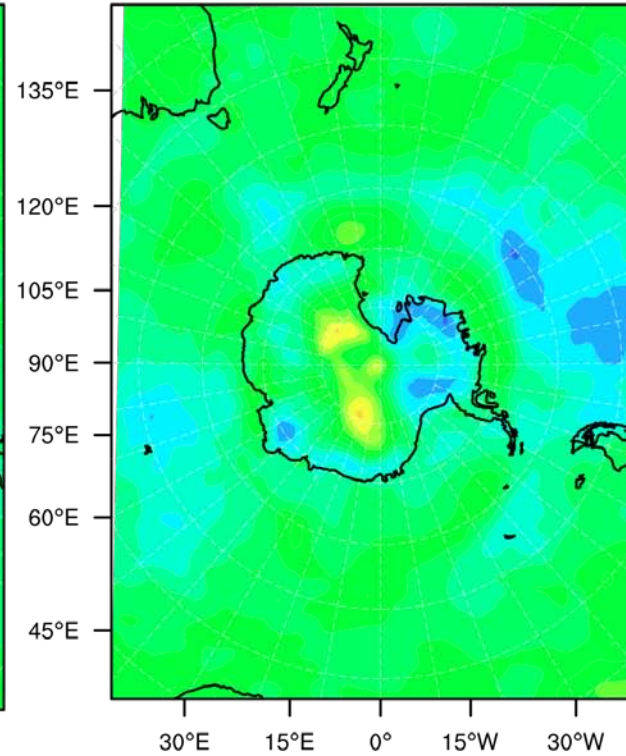


# Mean 500 hPa temperature analysis increments

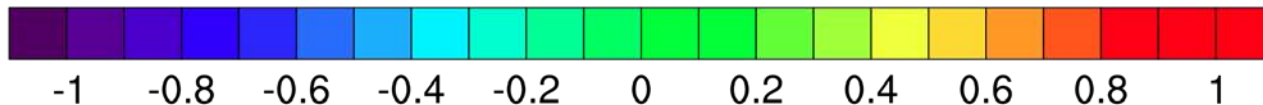
Without radiances



With radiances



T Analysis Increments (K)

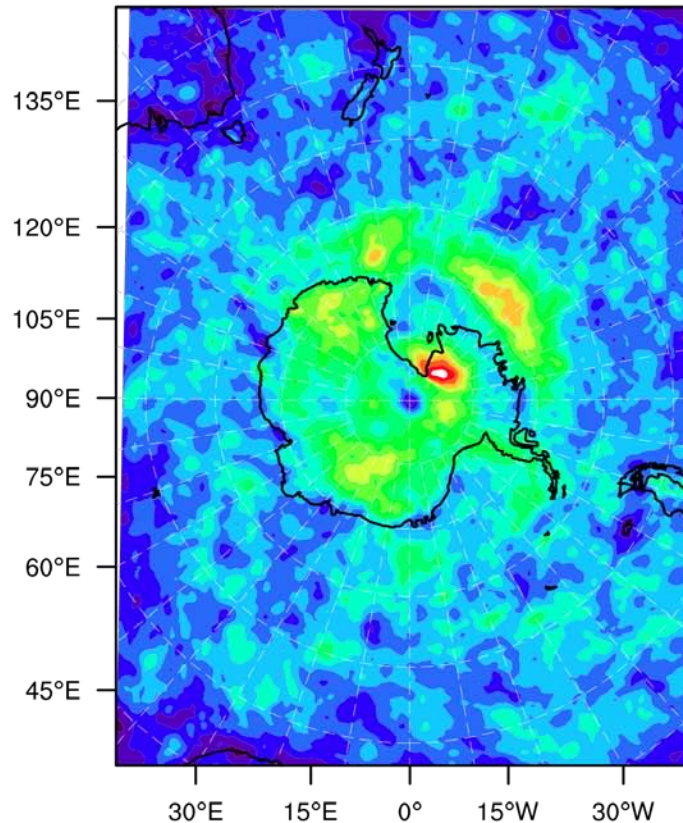




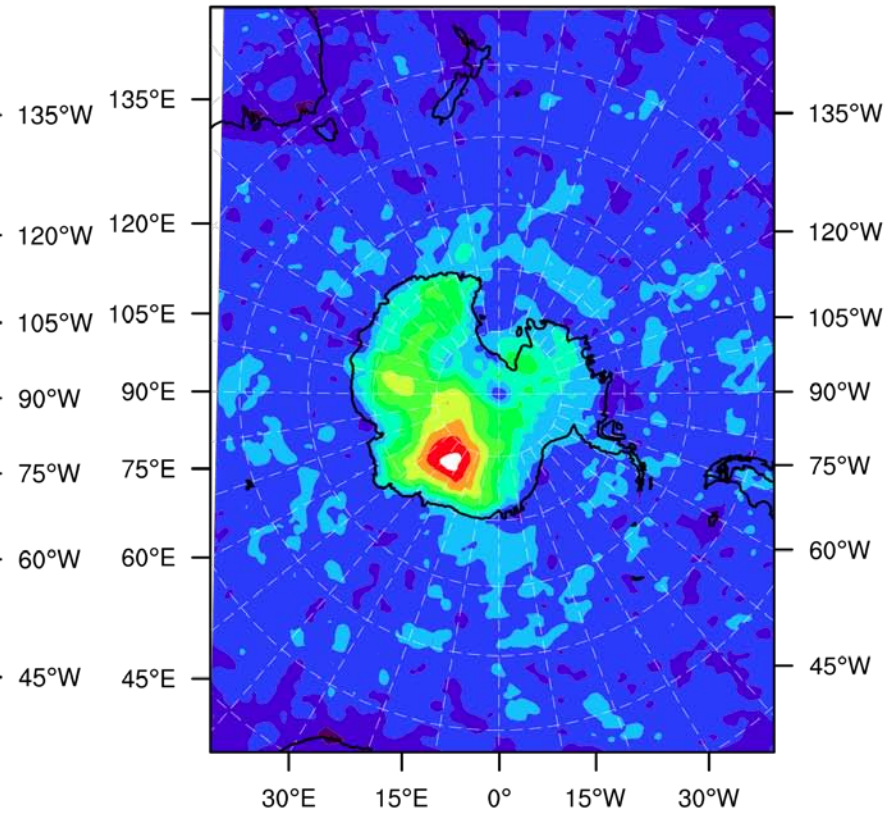
# Mean 500 hPa Temperature RMSE

- RMSE at the analysis time

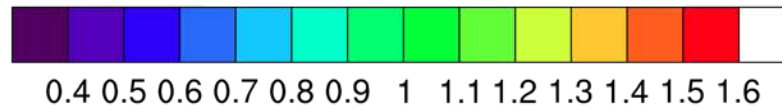
Without radiances



With radiances

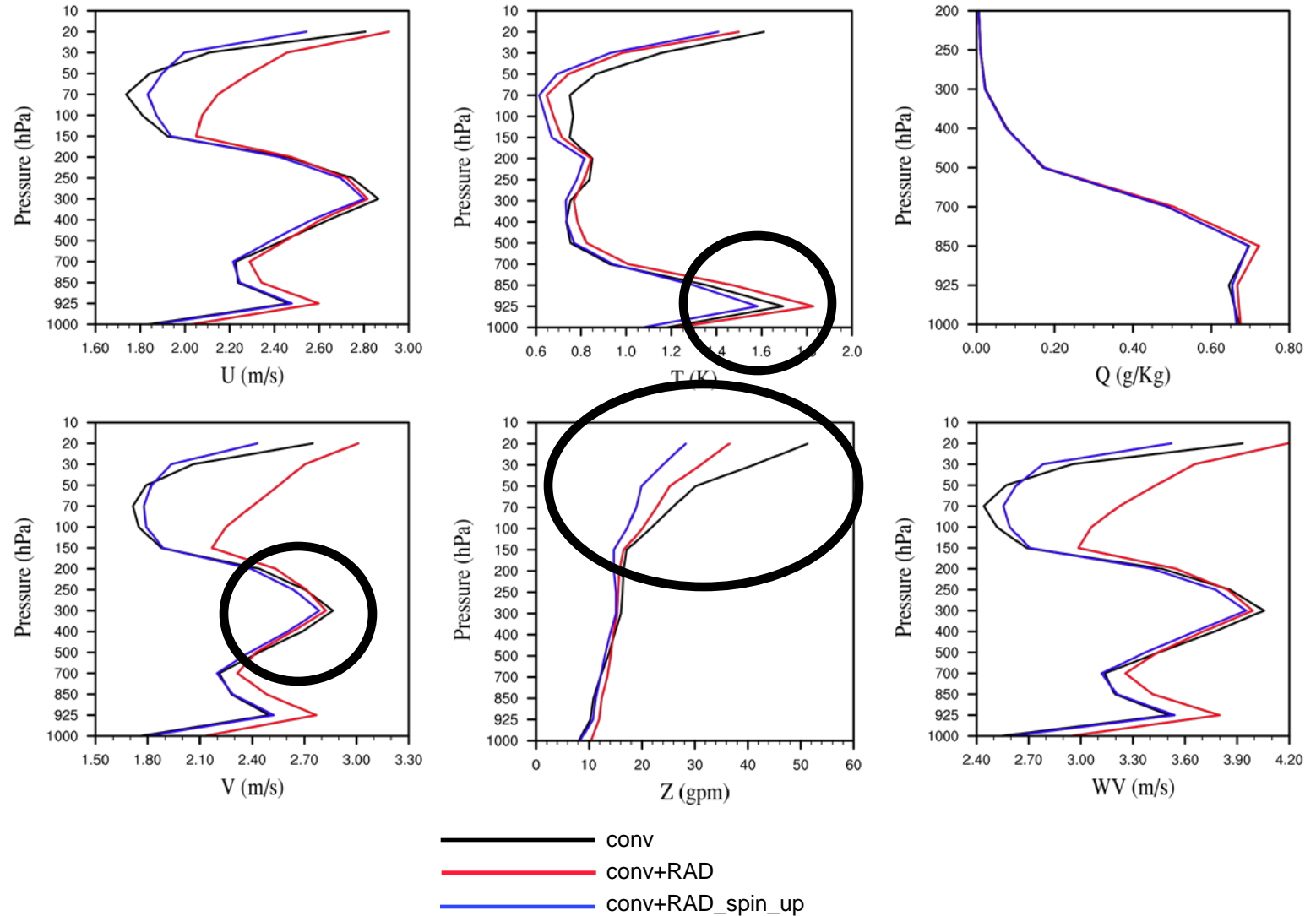


RMSE (K)



# Aggregate RMSE

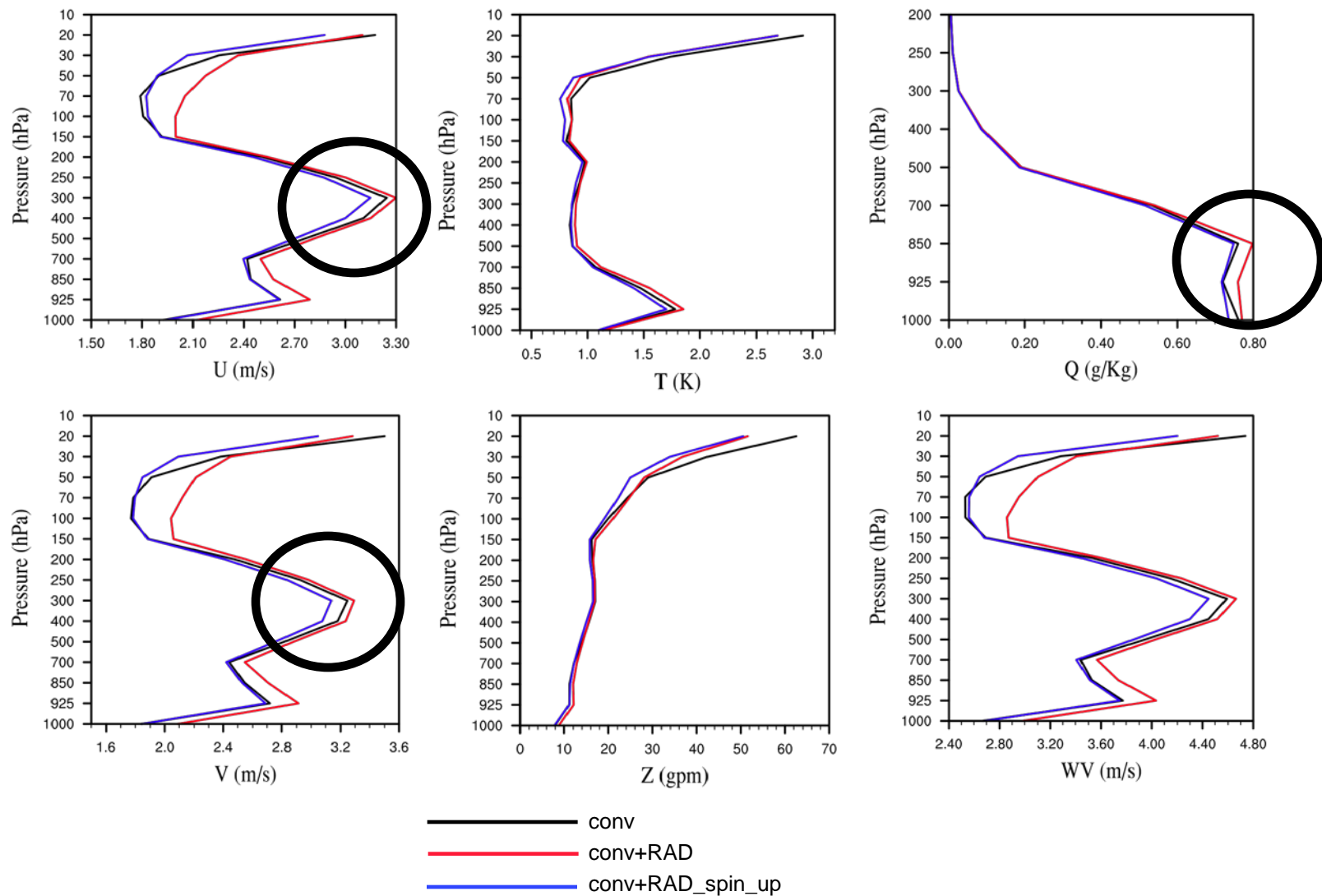
## •RMSE at the analysis time





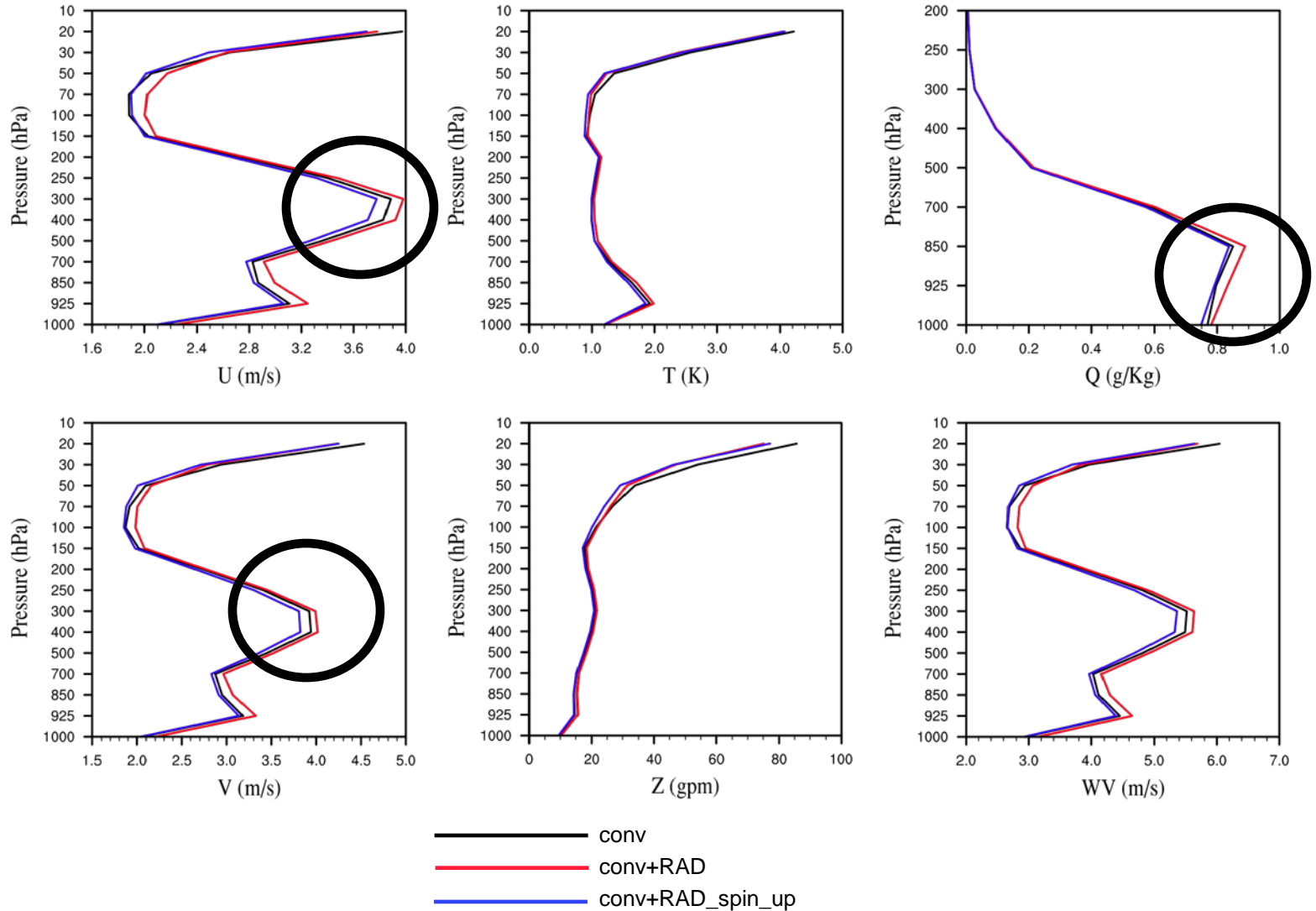
# Aggregate RMSE

## •RMSE for 12-hr forecasts



# Aggregate RMSE

## •RMSE for 24-hr forecasts



# Conclusions

- Addition of radiances led to better analyses and short-term forecasts over the Antarctic when initial bias correction coefficients were spun-up
- Without initially spun-up coefficients, analyses and short-term forecasts were degraded



*Properly bias correct  
radiances, or else...*

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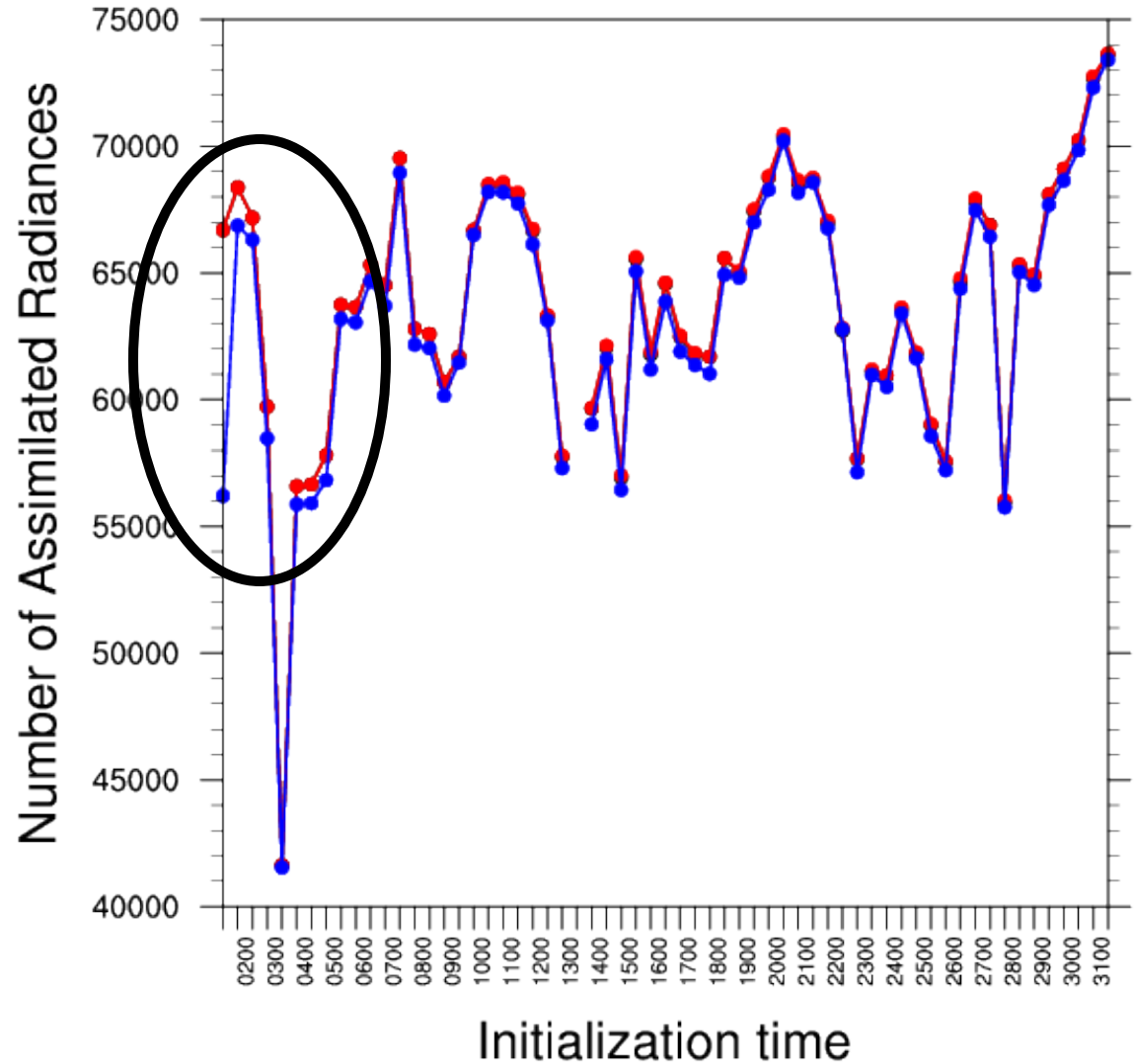






# Number of Assimilated Radiances

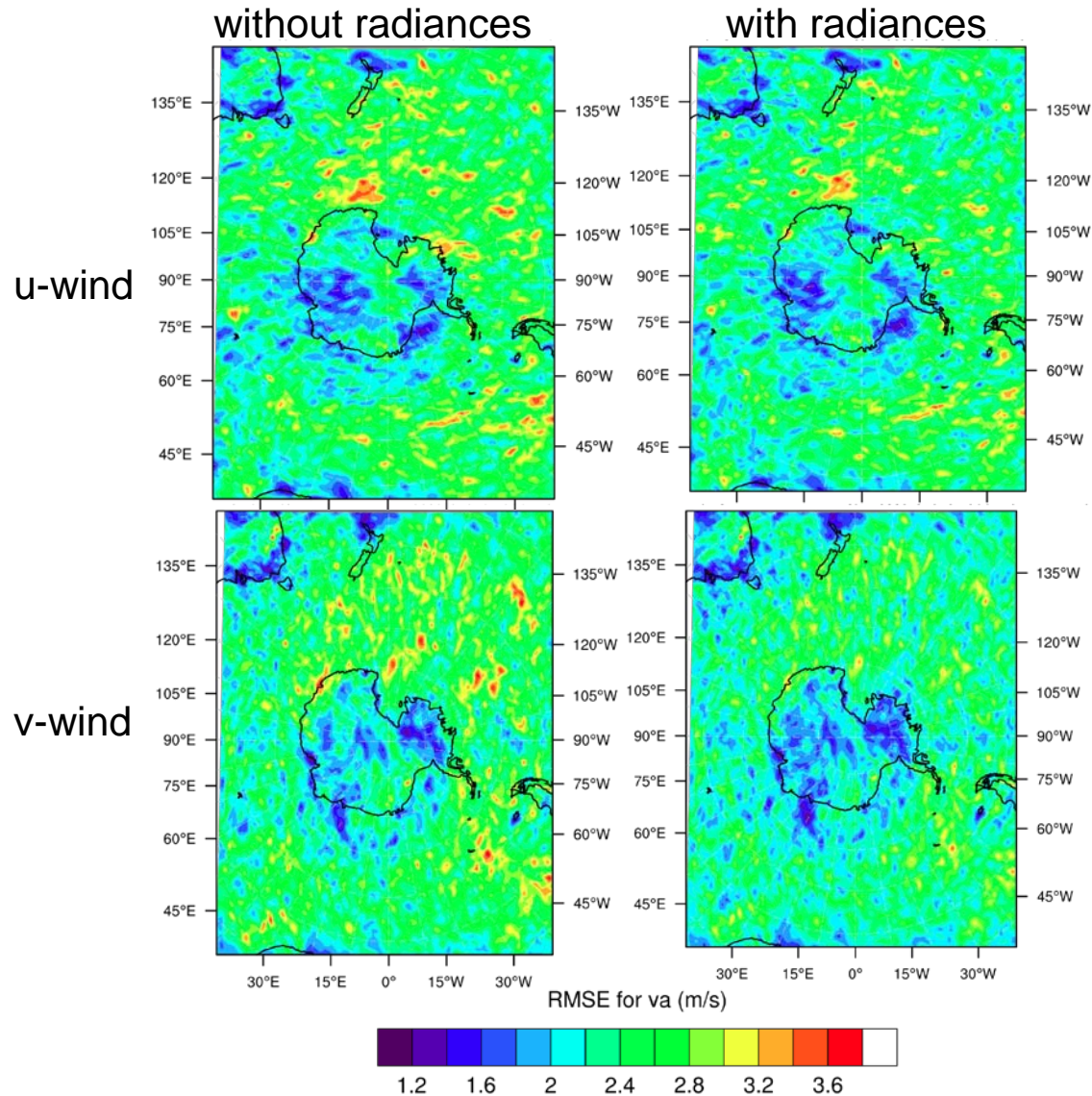
— “spin up”  
— “cold start”





# Mean 500 hPa Wind RMSE

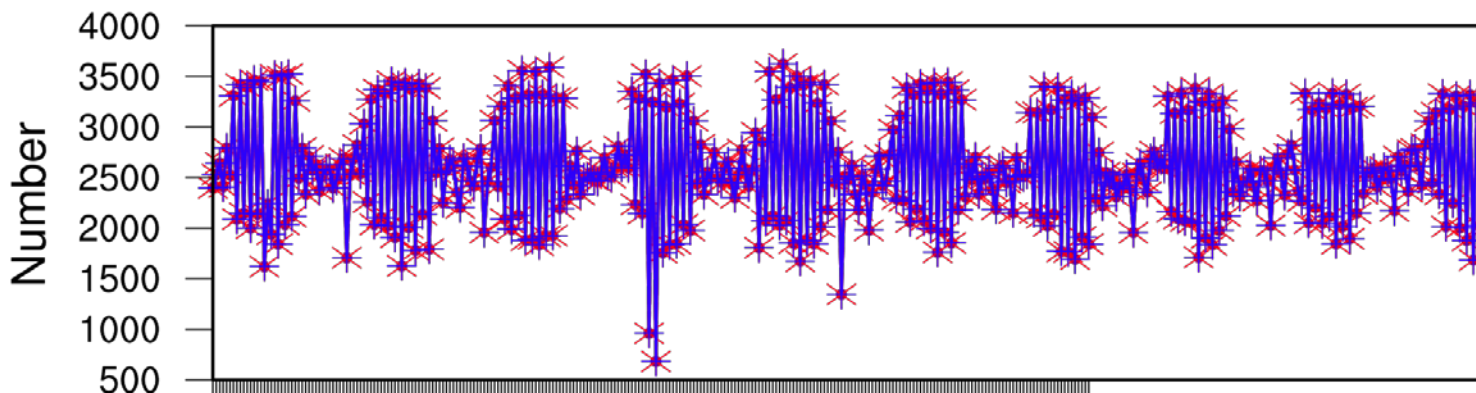
- RMSE at the analysis time



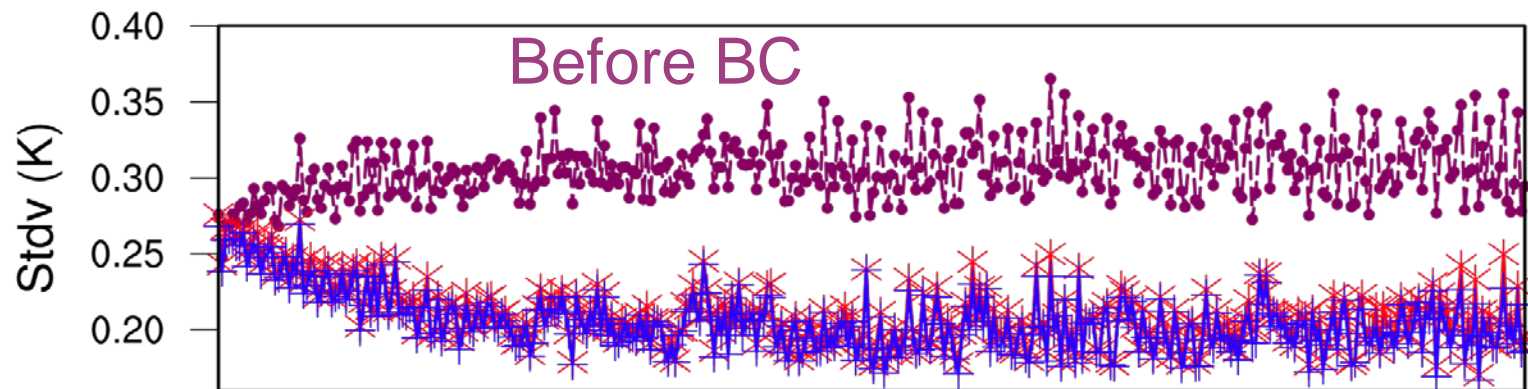
# Offline Monitoring Statistics

noaa-18-amsua\_ch0006 2007070100 -- 2007100106

Number of  
assimilated  
radiances



Standard  
deviation

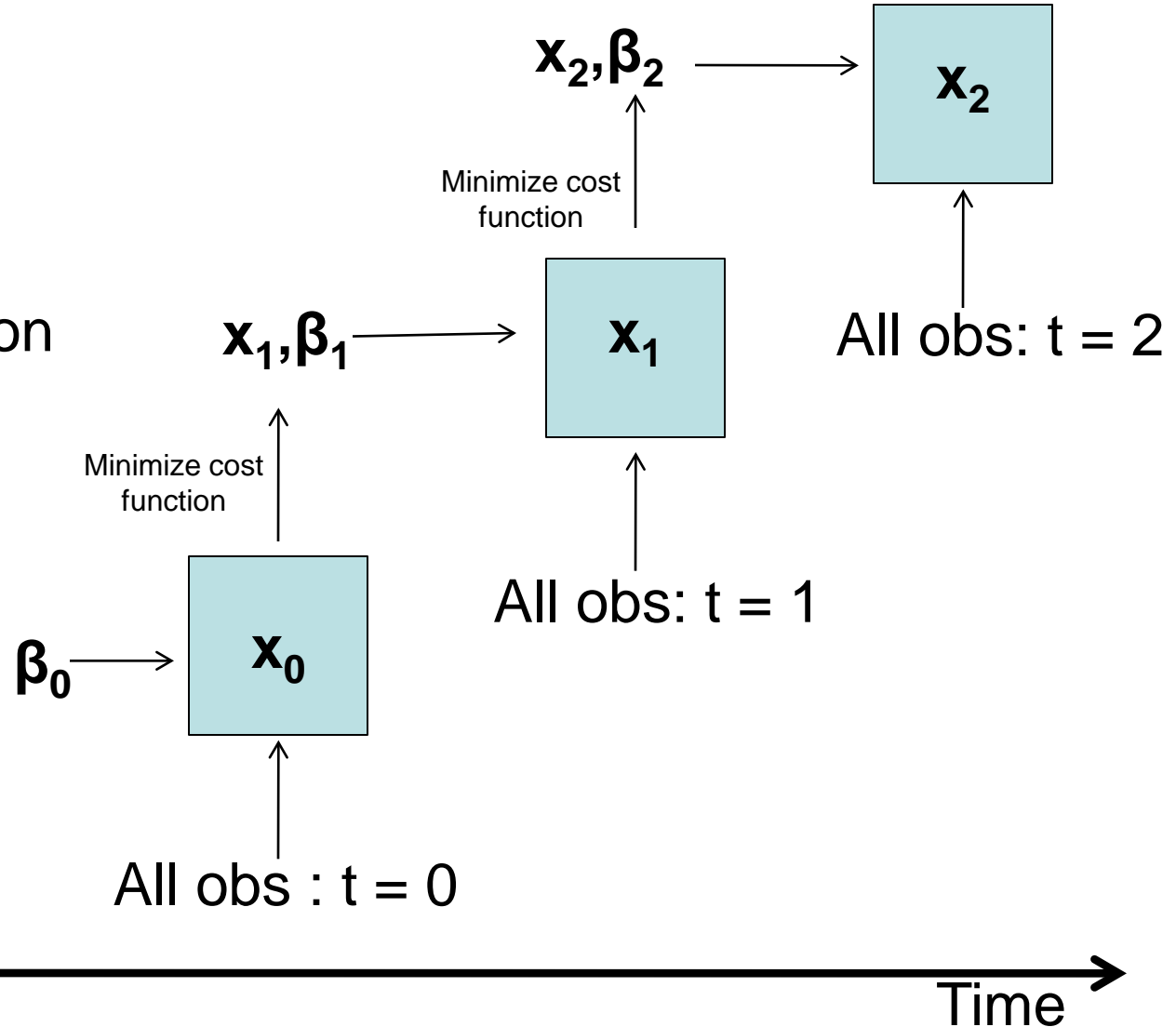


Time →

- obs - analysis
- obs - background (with bias correction)
- obs - background (no bias correction)

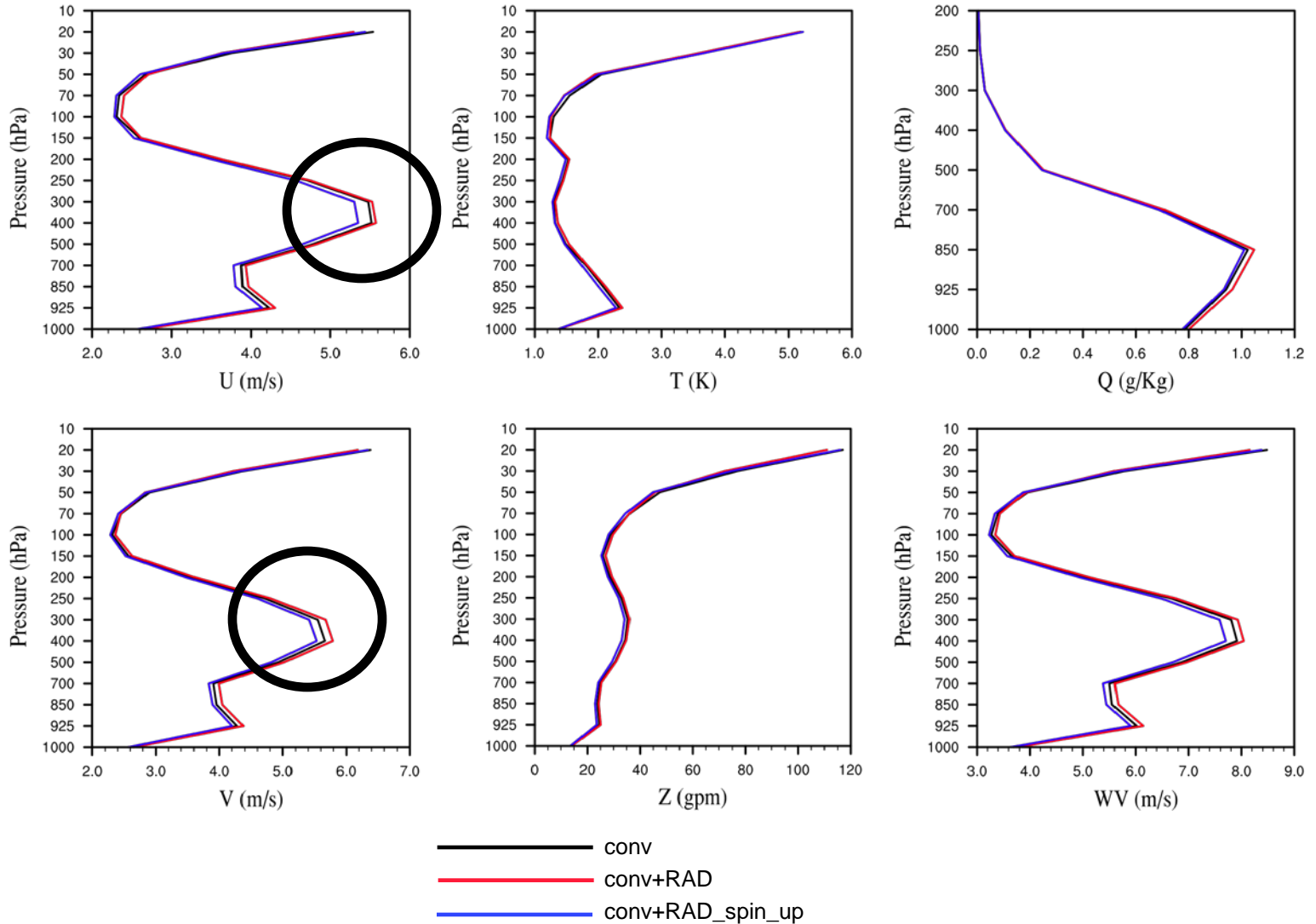
# Variational BC Procedure

- “Cycle” the coefficients ( $\beta$ ), *and* (optionally) the background
- Minimize cost function with  $\mathbf{x}$  *and*  $\beta$  as dependent variables



# Aggregate RMSE

## •RMSE for 48-hr forecasts

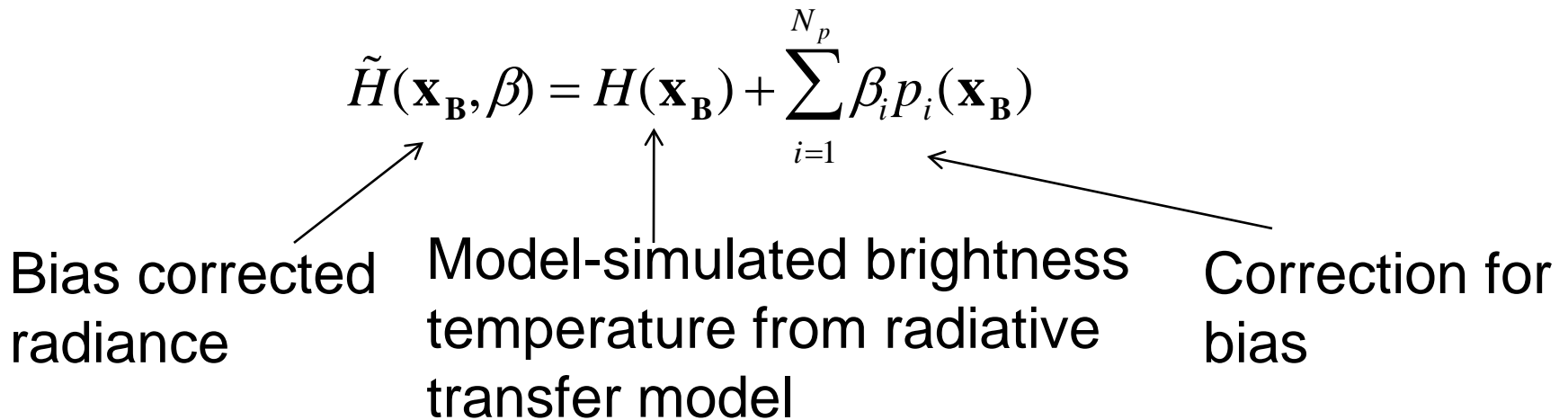


# Predictor-based BC

- Specify  $N_p$  predictors ( $p_i; i = 1 \dots N_p$ ) to perform BC
- Each predictor has a corresponding coefficient ( $\beta_i$ ) that determines its weight
- Based on these predictors, modify the observation operator ( $H$ ) for radiance observations:

$$\tilde{H}(\mathbf{x}_B, \beta) = H(\mathbf{x}_B) + \sum_{i=1}^{N_p} \beta_i p_i(\mathbf{x}_B)$$

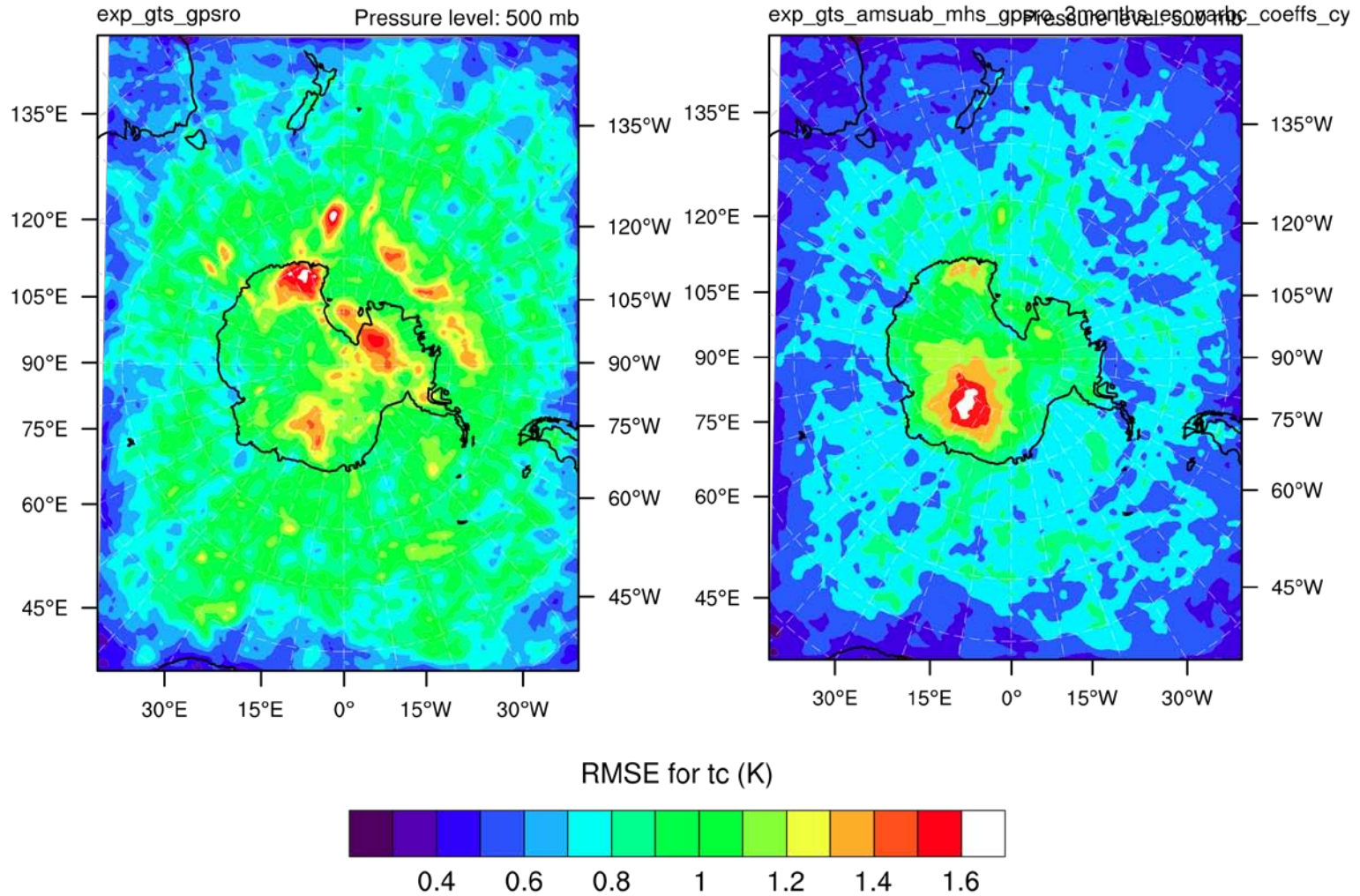
Bias corrected radiance      Model-simulated brightness temperature from radiative transfer model      Correction for bias



- Values of  $p_i$  are known, but we do NOT know the values of  $\beta_i$



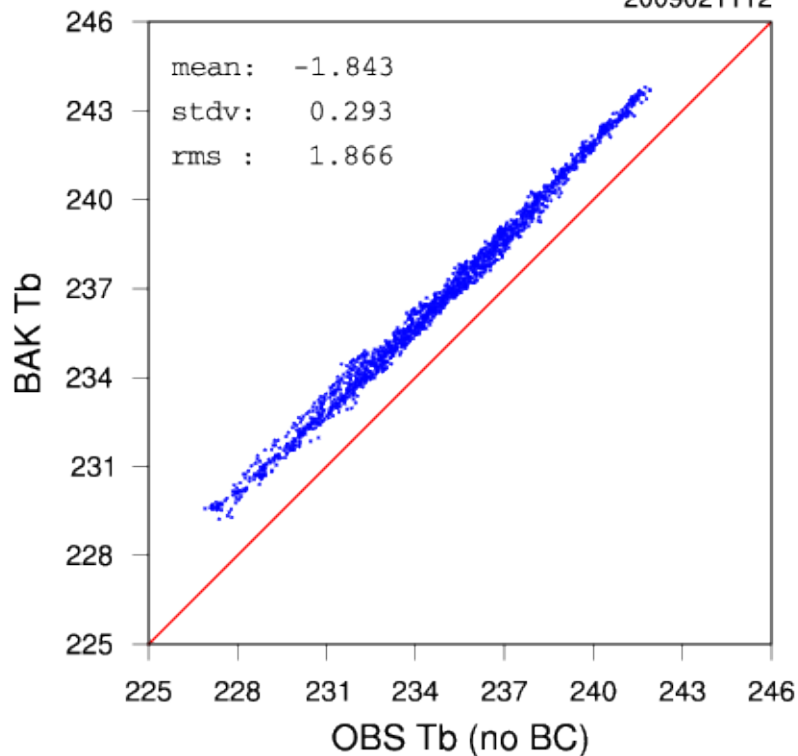
# Aggregate RMSE for forecast hour 012 from 2007100112 to 2007103112 by 12



# Bias Correction

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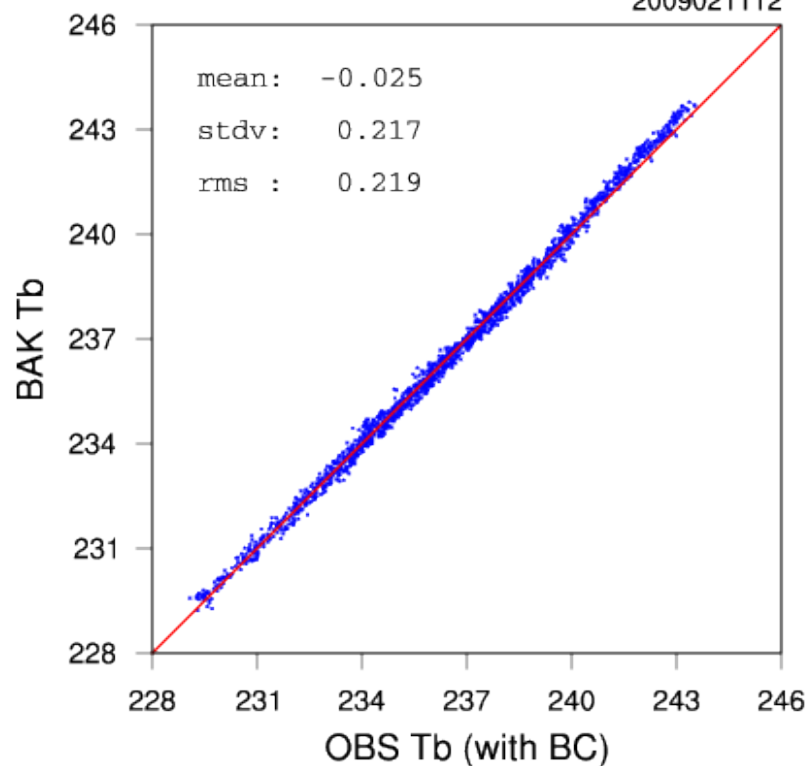
2009021112



No bias correction

noaa-18-amsua\_ch0006 1558

2009021112



With bias correction



# 3DVAR Formulation

$$J(\mathbf{x}) = \frac{1}{2}(\mathbf{x} - \mathbf{x}_b)^T \mathbf{B}^{-1}(\mathbf{x} - \mathbf{x}_b) + \frac{1}{2}(\mathbf{y} - H(\mathbf{x}))^T \mathbf{R}^{-1}(\mathbf{y} - H(\mathbf{x}))$$

$J(\mathbf{x})$ : Scalar cost function

$\mathbf{x}$ : The analysis: *primary field of interest!*

$\mathbf{x}_b$ : Background field

$\mathbf{y}$ : Observations

$H$ : Observation operator: *includes radiative transfer model*

$\mathbf{R}$ : Observation error covariance matrix

$\mathbf{B}$ : Background error covariance matrix

# Predictor-based Bias Correction

- Specify  $N_p$  predictors ( $p_i; i = 1 \dots N_p$ ) to perform bias correction (BC)
- WRFDA uses the following predictors:
  - 1) 1000-300 hPa thickness
  - 2) 200-50 hPa thickness
  - 3) Surface skin temperature
  - 4) Total column precipitable water
  - 5) Satellite scanning angle
- Each predictor has a corresponding coefficient ( $\beta_i$ ) that determine its weight

} State-dependent

# Variational Bias Correction

- Satellites move in and out of limited-area domains
- Not always enough data to perform meaningful bias correction
- Can overcome this problem by “spinning-up” the BC coefficients for an extended period of time before the assimilation using “offline monitoring”
  - “Offline” because we do not make a complete analysis considering other data (i.e., the background, non-radiances observations)

# Variational Bias Correction

- Augment state vector with the BC coefficients ( $\beta$ ), which introduces another term in the 3D-VAR cost-function:

$$J(\mathbf{x}, \beta) = \frac{1}{2}(\mathbf{x} - \mathbf{x}_b)^T \mathbf{B}^{-1}(\mathbf{x} - \mathbf{x}_b) + \boxed{\frac{1}{2}(\beta - \beta_b)^T \mathbf{B}_\beta^{-1}(\beta - \beta_b)} + \frac{1}{2}(\mathbf{y} - \tilde{H}(\mathbf{x}, \beta))^T \mathbf{R}^{-1}(\mathbf{y} - \tilde{H}(\mathbf{x}, \beta))$$

- New term for the bias-correction coefficients

- $\mathbf{B}_\beta$  determines how much new coefficients depend on the old ones

Bias-corrected radiances

- This method determines  $\beta$  while considering the entire model state and other non-radiance observations



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**To advance understanding of weather, climate, atmospheric composition and processes;  
To provide facility support to the wider community; and,  
To apply the results to benefit society.**